- LO 1. Define the standardized (Z) score of a data point as the number of standard deviations it is away from the mean: $Z = \frac{x-\mu}{\sigma}$.
- LO 2. Use the Z score
 - if the distribution is normal: to determine the percentile score of a data point (using technology or normal probability tables)
 - regardless of the shape of the distribution: to assess whether or not the particular observation is considered to be unusual (more than 2 standard deviations away from the mean)
- LO 3. Depending on the shape of the distribution determine whether the median would have a negative, positive, or 0 Z score.
- LO 4. Assess whether or not a distribution is nearly normal using the 68-95-99.7% rule or graphical methods such as a normal probability plot.
 - * Reading: Section 4.1 of OpenIntro Statistics
 - * Test yourself: True/False: In a right skewed distribution the Z score of the median is positive.
- LO 5. If X is a random variable that takes the value 1 with probability of success p and 0 with probability of success 1 p, then X is a Bernoulli random variable.
- LO 6. The geometric distribution is used to describe how many trials it takes to observe a success.
- **LO 7.** Define the probability of finding the first success in the n^{th} trial as $(1-p)^{n-1}p$.

$$- \mu = \frac{1}{p}$$
$$- \sigma^2 = \frac{1-p}{p^2}$$
$$- \sigma = \sqrt{\frac{1-p}{p^2}}$$

- LO 8. Determine if a random variable is binomial using the four conditions:
 - The trials are independent.
 - The number of trials, n, is fixed.
 - Each trial outcome can be classified as a success or failure.
 - The probability of a success, p, is the same for each trial.
- **LO 9.** Calculate the number of possible scenarios for obtaining k successes in n trials using the choose function: $\binom{n}{k} = \frac{n!}{k! (n-k)!}$.
- LO 10. Calculate probability of a given number of successes in a given number of trials using the binomial distribution: $P(k = K) = \frac{n!}{k! (n-k)!} p^k (1-p)^{(n-k)}$.
- LO 11. Calculate the expected number of successes in a given number of binomial trials ($\mu = np$) and its standard deviation ($\sigma = \sqrt{np(1-p)}$).
- LO 12. When number of trials is sufficiently large $(np \ge 10 \text{ and } n(1-p) \ge 10)$, use normal approximation to calculate binomial probabilities, and explain why this approach works.
 - * Reading: Section 4.2 and 4.3 of OpenIntro Statistics

- * Test yourself:
 - 1. True/False: We can use the binomial distribution to determine the probability that in 10 rolls of a die the first 6 occurs on the 8th roll.
 - 2. True / False: If a family has 3 kids, there are 8 possible combinations of gender order.
 - 3. True/False: When n = 100 and p = 0.92 we can use the normal approximation to the binomial to calculate the probability of 90 or more successes.